

IMPORTANT VOCABULARY for Unit 4:

(Answers to this section will be posted on Google Classroom. Use that to fill in this section.)

Monomial = one term; can be a number, a variable or the product of a number and a variable

EX: $4x^3y$ or -7 or $-x$

Polynomial = the sum or difference of several monomials

EX: $5x^2 + 3x - 7$

Degree of a Polynomial = the largest exponent of a polynomial

EX: $5x^3 + 2x^{\textcircled{7}} - 8x^4 + 12$
7th degree polynomial

Standard Form Polynomial = polynomial with terms written with exponents in decreasing order

EX: $2x^5 + 3x^4 - 4x^3 - 5x^2 + 6x - 7$

Factored Form Polynomial = polynomial written as the product of its factors

EX: $y = (x+3)(x-2)^2(2x-1)$

GRAPHS OF POLYNOMIALS:

• The roots of a polynomial are the solutions found by setting the factors equal to zero.

• A polynomial has the same number of solutions / roots as its degree.

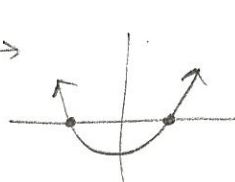
• The root is also an x-intercept on the graph of the polynomial.

Q: What is the maximum number of roots a cubic polynomial can have? 3

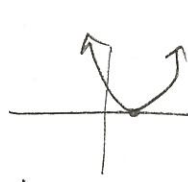
Q: What is the maximum number of roots a polynomial with the equation $y = x^8 - 12x^2 + x$ can have? 8

Q: Is it possible for the graph of a polynomial to have fewer x-intercepts than its degree? Explain.

YES. For $y = x^2 \rightarrow$



2 solutions

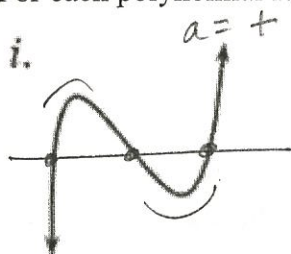


1 solution

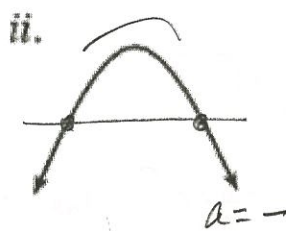


0 solutions

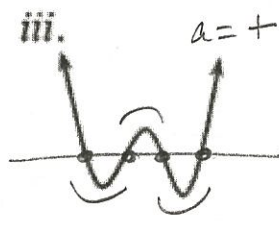
Q: For each polynomial function graph, state the minimum degree each equation can have.



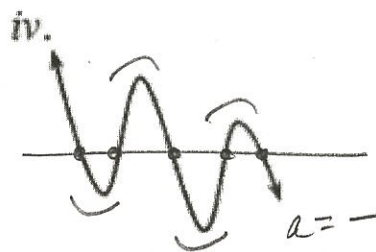
3rd degree (x^3)



2nd deg. (x^2)



4th deg. (x^4)



5th deg. (x^5)

Q: How can you tell the minimum degree of a polynomial by the number of "bumps" on its graph?

turns (bumps) + 1 = degree

END BEHAVIOR:

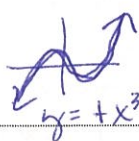
what happens at the right end of the graph;
it's dependent on " a "

ORIENTATION:

Right Arrow Points UP

$$a = +$$

EX:



Right Arrow Points DOWN

$$a = -$$

EX:



DEGREE:

Both Arrows Point in the SAME DIRECTION

degree is EVEN

Arrows Point in DIFFERENT DIRECTIONS

degree is ODD

